# THE **SMARTER APPROACH** TO UNDERSTAND STRUCTURE AND PROPERTIES OF NEW INORGANIC MATERIALS

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#### Combining experimental characterization and simulation methods to solve complex structures



Very high magnetic fields 28.2 T commercial ! Very fast sample spinning 120 kHz : 7 000 000 rd/min

A variety of correlation methods Multinuclear, 2D, 3D, etc...

*Ab initio computations Structure prediction DFT GIPAW & PAW → NMR* 

Diffraction is gold standard for inorganic materials but .....

2002 Chemistry Nobel : Kurt Wüthrich : 3D structure of biological macromolecules by NMR

2017 Chemistry Nobel : Jacques Dubochet, Joachim Frank, and Richard Henderson for structure determination of biomolecules with cryo EM

Structure determination by coMbining mAgnetic Resonance, compuTation modEling and diffRactions



## Outline



- **Complex superstructure of M<sup>4+</sup>P<sub>2</sub>O<sub>7</sub> materials** (thermal expansion prop.)
- **Melilite La<sub>2</sub>Ga<sub>3</sub>O<sub>7.5</sub> with interstitial O atoms** (oxide ion conductor)
- Scheelite Bi(Sr)VO<sub>4</sub> with O defect (oxide ion conductor)
- Novel transparent polycrystalline ceramics (optical)

## $M^{4+}P_2O_7$ compounds

 $M^{4+}P_2O_7$  M = Si, Ge, Ti, Zr, Hf, Mo, W, Sn, Pb, ...

J. Evans



- SiP<sub>2</sub>O<sub>7</sub> and TiP<sub>2</sub>O<sub>7</sub> : 3X3X3 cubic with Pa-3 @ room temp.
- $ZrP_2O_7$ ,  $HfP_2O_7$  &  $SnP_2O_7 \rightarrow Pa-3$ ? Other SG?



≠ number of inequivalent P sites and site multiplicities
 ≠ number of P<sub>2</sub>O<sub>7</sub> with two equivalent or inequivalent P sites

SMARTER approach → use <sup>31</sup>P solid-state NMR to probe local structure

#### <sup>31</sup>P Magic Angle Spinning NMR of M<sup>4+</sup>P<sub>2</sub>O<sub>7</sub> compounds

 $M^{4+}P_2O_7$  M = Si, Ge, Ti, Zr, Hf, Mo, W, Sn, Pb, ...



#### Possible space groups

Space Group	Inequivalent P sites	Inequivalent P <sub>2</sub> O <sub>7</sub> dimers
Pa-3 (1x1x1)	1	1
Pa-3	11	6
P213	22	11
<i>R</i> -3	38	20
<i>R</i> 3	76	38
<b>P</b> bca	27	14
Pca21	54	27
<b>P2</b> <sub>1</sub> <b>2</b> <sub>1</sub> <b>2</b> <sub>1</sub>	54	27
P21/c	54	28
Pc	108	54
<b>P2</b> <sub>1</sub>	108	54
<i>P</i> -1	108	56
<i>P</i> 1	216	108

## <sup>31</sup>P Magic Angle Spinning NMR of M<sup>4+</sup>P<sub>2</sub>O<sub>7</sub> compounds

 $M^{4+}P_2O_7$  M = Si, Ge, Ti, Zr, Hf, Mo, W, Sn, Pb, ...

#### Presence of impurities, polymorphism ??

Check that all P sites (i.e. all <sup>31</sup>P NMR peak) belong to the same phase with **2D NMR** !



ZrP<sub>2</sub>O<sub>7</sub>

000000000

-40

31P chemical shift (ppm)

8

8

-44

• Recoupling of <sup>31</sup>P-<sup>31</sup>P homonuclear dipolar interactions

• Longitudinal mixing (flip-flop) : RFDR

-44

-40

-36

-36

31P chemical shift (ppm)



31P chemical shift (ppm)

#### Probing P-O-P connectivity and the number of $P_2O_7$

<sup>31</sup>**P** (spin ½, 100%)  $\rightarrow$  Use through-bond (<sup>2</sup>J<sub>P-O-P</sub>) or through-space (dipolar short range) to probe P-O-P connectivities

→ 2D <sup>31</sup>P-<sup>31</sup>P correlation (connectivity) spectra

*Improved resolution !!* of distinct *P* sites and  $P_2O_7$  dimers

#### **Possible space groups**



Space Group	Inequivalent P sites	Inequivalent P <sub>2</sub> O <sub>7</sub> dimers
<i>P</i> a-3 (1x1x1)	1	1
Pa-3	11	6
P213	22	11
<i>R</i> -3	38	20
<i>R</i> 3	76	38
<b>P</b> bca	27	14
Pca21	54	27
P212121	54	27
P21/c	54	28
Pc	108	54
<b>P2</b> <sub>1</sub>	108	54
<i>P</i> -1	108	56
P1	216	108

♦ 49 pairs of cross-peaks (1 x3 and 3 x2 intensities)

-80

-76

-72

-68

-64

At least 98 distinct P sites (likely 108)

 $\rightarrow$  monoclinic with P2<sub>1</sub> or Pc space group

 $\rightarrow$  orthorhombic with Pbca

#### Room temperature structures of M<sup>4+</sup>P<sub>2</sub>O<sub>7</sub> compounds



### Melilite compounds with extra oxide ions

## $Melilite A_2 B(M_2 O_7)$

Tetragonal (P-42<sub>1</sub>) a  $\sim$ 8 Å, c  $\sim$ 5 Å

layers of coner-sharing  $MO_4$  tetrahedra layers of A,B cations  $\rightarrow$  *Ionic conduction properties* 



Interstitial oxide ion conductivity in the layered tetrahedral network melilite structure

XIAOJUN KUANG<sup>1</sup>, MARK A. GREEN<sup>2,3</sup>, HONGJUN NIU<sup>1</sup>, PAWEL ZAJDEL<sup>2,4</sup>, CALUM DICKINSON<sup>1</sup>, JOHN B. CLARIDGE<sup>1</sup>, LAURENT JANTSKY<sup>1</sup> AND MATTHEW J. ROSSEINSKY<sup>1</sup>\*

Nature Materials, 2008



 $LaSrGa_{3}O_{7} \rightarrow La_{1+x}Sr_{1-x}Ga_{3}O_{7+x/2} (0 \le x \le 0.64)$ 

Extra oxygen sites  $\rightarrow$  Oxide ion conduction

(x=0.54): 0.1 S.cm-1 @ 800°C (fuel cell applications)







M. Allix









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Article

#### La2Ga3O75: A Metastable Ternary Melilite with a Super-Excess of Interstitial Oxide Ions Synthesized by Direct Crystallization of the Melt

Jintai Fan, Vincent Sarou-Kanian, Xiaoyan Yang, Maria Diaz-Lopez, Franck Fayon, Xiaojun Kuang, Michael J. Pitcher,\* and Mathieu Allix\*

> Synthesis of La<sub>2</sub>Ga<sub>3</sub>O<sub>7.5</sub> (x = 1, full substitution!) by direct crystallization from an undercooled melt

(aerodynamic levitation under  $O_2$  atm., precursors:  $La_2O_3 \& Ga_2O_3$ )



La<sub>2</sub>Ga<sub>3</sub>O<sub>75</sub> is stable up to 830 °C

Full occupancy of the interstitial O site

- $\rightarrow$  Reduced oxide conductivity  $\otimes$
- $\rightarrow$  Structural model  $\odot$



#### Laboratory powder XRD of La<sub>2</sub>Ga<sub>3</sub>O<sub>7.5</sub>



Similar to the **pseudo-orthorhombic melilite La<sub>1.64</sub>Ca<sub>0.36</sub>Ga<sub>3</sub>O<sub>7.32</sub>** (PDF 04-017-7922) Li et al., *Angew. Chemie Int. Ed.* **2010** 

#### $\rightarrow$ Provisional structural model with P1

Combined Rietveld refinement with P1

- Description of melilite framework & oxide interstitial sites
- No symmetry constraints on the possible interstitial oxide ion orderings





Neutron diffraction of La<sub>2</sub>Ga<sub>3</sub>O<sub>7.5</sub>



*Pseudo-ortho. (P1) a* = 9.6032, *b* = 9.5999, *c* = 9.6004 Å, α = 106.59, β = 108.13, γ = 113.81°

52 At. Pos. : 8 La, 12 Ga, 32 O

 $\rightarrow$  Chain-ordering of O<sub>int</sub>

Melilite compounds with extra oxide ions :  $La_2Ga_3O_{7.5}$ 



Pseudo orthorhombic a = 9.6032, b = 9.5999, c = 9.6004 Å,  $α = 106.59, β = 108.13, γ = 113.81^{\circ}$ 

*P*1 : 8 La, 12 Ga, 32 O



 $GaO_4 \rightarrow GaO_4 + O_{int} = GaO_5$ 

Full long-range ordering of  $O_{int}$  within the [Ga<sub>3</sub>O<sub>7.5</sub>] layers

Five Ga sites, formation of  $GaO_5$ ?  $\rightarrow$  Solid-state <sup>71</sup>Ga NMR

## Probing the Ga environment with <sup>71</sup>Ga NMR

SMARTER approach....

<sup>71</sup>Ga NMR I = 3/2, strong quadrupolar interactions (broadening)

Very-high magnetic fields Very fast magic angle spinning (0.7mm probe, up to 110 kHz)

#### <sup>71</sup>Ga NMR @ 20T, MAS 100 kHz





#### <sup>71</sup>Ga STMAS @ 100 kHz







5 inequivalent Ga sites

with 2:1:1:1:1 multiplicities

 $\rightarrow$  consistent with **Ima2** space group

Melilite compounds with extra oxide ions :  $La_2Ga_3O_{7.5}$ 

SMARTER approach....

Combined XRD and NPD refinement with Ima2 structural model

DFT GIPAW computation of <sup>71</sup>Ga NMR using the refined Ima2 model



Scheelite materials for oxide ion conductivity applications

• BiVO<sub>4</sub> Scheelite structure



- Isolated VO<sub>4</sub> tetrahedral
- AO<sub>8</sub> polyhedra
- Monoclinic (I2/b)
- Tetragonal (I4<sub>1</sub>/a) @ 250 °C

• Bi<sup>3+</sup> for Sr<sup>2+</sup> substitution → Oxide ion vacancies in the tetrahedral network

→ Improved oxide anionic conductivity



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Mechanism for accommodation of O vacancies in the network of tetrahedral?

Formation of VO<sub>3</sub> units or pairing of VO<sub>4</sub> units to form  $V_2O_7$  dimers? (like  $Ga_2O_7$  units in  $La_{1-x}Ba_{1+x}GaO_{4-x/2}$ )



- Monoclinic scheelite I2/m
- Bi<sub>0.893(2)</sub>Sr<sub>0.107(2)</sub>VO<sub>3.918(6)</sub> composition
- Bi/Sr mixed site  $(Bi_{0.9}Sr_{0.1}) \rightarrow oxygen vacancies$
- strong positional disorder (O, Bi, Sr)

No observable residual scattering density in SPD & NPD Fourier difference maps ! Average structure – No evidence of O defects

SMARTER approach.... Probing the presence of V<sub>2</sub>O<sub>7</sub> dimers with <sup>51</sup>V NMR



<sup>51</sup>V NMR

I = 5/2, moderate quadrupolar interaction, Chemical Shift Anisotropy Very-high magnetic fields & Very fast magic angle spinning



SMARTER approach.... Probing the presence of V<sub>2</sub>O<sub>7</sub> dimers with <sup>51</sup>V NMR

- Build 2x2x1 supercell models of Sr<sub>0.125</sub>Bi<sub>0.975</sub>O<sub>3.937</sub>
- $\rightarrow$  Accommodation of **one O vacancy** and **two Sr** cations  $\rightarrow$  formation of **one V<sub>2</sub>O<sub>7</sub>** defect (8 possibilities)
- DFT optimization of atomic positions  $\rightarrow$  relaxed structures with realistic Sr-O distances
- DFT GIPAW  $\rightarrow$  <sup>51</sup>V NMR parameters





<sup>51</sup>V NMR parameters (CS & Quad.) of possible local environnements

SMARTER approach.... Probing the presence of V<sub>2</sub>O<sub>7</sub> dimers with <sup>51</sup>V NMR



• Evidence for formation of V<sub>2</sub>O<sub>7</sub> defects





## Novel transparent ceramics obtained by full congruent crystallization from glasses

Sr1+x/2 Al2+x Si2-x O8

CERAMIC

Cemhti

1 cm

(b)

800



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Metastable phases with new (unknown) structures →

100

70 -

60 -50 -

40 -

30 -

20 -

10

-10

400

(a) 90 80

**Transmittance** %

## **SMARTER** approach



TEM

Very thin grain boundaries





**No porosity** Mosaic microstructure



T<sub>max</sub>,

#### New transparent polycristalline ceramics : Aluminosilicate feldspar



#### Feldspar mineral family

Aluminium (gallium) tectosilicate minerals :  $M^+AlSi_3O_8 - M^{2+}Al_2Si_2O_8$ 

- Good glass-forming ability
- Congruent crystallization
- Fully polymerized tetrahedral network M<sup>+</sup>/M<sup>2+</sup> cations charge balance AlO<sub>4</sub><sup>-</sup>, GaO<sub>4</sub><sup>-</sup>
- Polymorphism
   Feldspar, Paracelcian (3D) or Hexacelcian (2D)



 $Sr_{1+x/2}Al_{2+x}Si_{2-x}O_8$  ceramics ( $0 \le x \le 0.4$ )



K. Al Saghir et al., Chem. Mater. 2015.

SrGa<sub>2</sub>Si<sub>2</sub>O<sub>8</sub> ceramics



Annealing at Annealing at 875°C / 18h 1200°C/1h

#### Variation of the transparency with composition $\rightarrow$ structural effect ?

Long range (average) structure

Intensity (a.u.

 $Sr_{1+x/2}Al_{2+x}Si_{2-x}O_8 \text{ solid-solution}$ (0 ≤ x ≤ 0.4)

SPD & NPD

20 25 20 (°)

15

10

SrGa<sub>2</sub>Si<sub>2</sub>O<sub>8</sub>





• 3D network of tetrahedra

30 35

• **Monoclinic** (quasi-orthorhombic) **P 21/a** (paracelcian)

40 45



SPD & NPD

STEM-HAADF



- Pseudo-2D layered structure
- **Hexagonal** with **P6<sub>3</sub>/mcm** (hexacelcian)

15 20 25 30 35 2θ (°)

K. Al Saghir et al., Chem. Mater. 2015.

M. Allix C. Genevois

## Si/Al chemical disorder in ceramics : <sup>29</sup>Si and <sup>27</sup>Al NMR



Probing the Al/Si chemical disorder using <sup>29</sup>Si and <sup>27</sup>Al MAS NMR

#### Identification and quantification of the various Si (Q<sup>4</sup><sub>mAl</sub>) and Al (q<sup>4</sup><sub>mAl</sub>) units in the structure

SPD → long-range average structure (HR-TEM)
<sup>29</sup>Si / <sup>27</sup>Al NMR → local structure and degree of Si/Al local disorder (departure from Lowenstein rule configurational entropy)

K. Al Saghir et al., Chem. Mater. 2015.

## Building structural models from diffraction and NMR data

#### Supercell approximation of the substitutional disorder

- 2x2x1 supercell of the average unit cell (104 atoms)
- Generating all possible configurations (Al/Si ordering)
- Energy constraints (highest coulombic energy structures excluded)

Local charge compensation of the extra Sr atom (for x= 0.25)

Random selection with Q<sup>n</sup><sub>mAl</sub> and q<sup>n</sup><sub>mAl</sub> populations as constraints

2x2x1 model



• DFT-PBE geometry optimization (atomic positions)

only averaged bond lengths and angles available from diffraction

→ Periodic DFT GIPAW computations (CASTEP) of NMR shielding and EFG tensors

« Supercell » program Okhotnikov et al., J. Cheminform 2016.



Set of structures (effective medium approximation)



## **Ceramics : selected structural models**



#### First-principle calculations (DFT-GIPAW) of NMR spectra from structural models

Models capture long-range structure & account partly for local structures → computation of properties (birefringence)

## **Ceramics : DFT computation of birefringence from models**



Variation of the birefringence as a function of the Al/Si ordering (higher birefringence for full ordering)

Chemical disorder  $\rightarrow$  Tuning the birefringence of non-cubic crystalline phases

K. Al Saghir et al., Chem. Mater. 2015.

Conclusion

Structural description of (novel) materials



## Make it **SMARTER....**

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**CERAM** group





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Thank you for your attention ;-)









## Melilite compounds with extra oxide ions : La<sub>2</sub>Ga<sub>3</sub>O<sub>7.5</sub>

Description of full chain ordering of  $O_{int}$  within the  $[Ga_3O_{7.5}]$  layers



 $[Ga_3O_7]$  framework along c  $\rightarrow$  2 interpenetrating hexagonal networks



M. Pitcher



Cemht

Two possibilities: chains or squares arrangement of O<sub>int</sub>

Antiparallel tiling  $\rightarrow$  No geometric constraint on the tile  $\rightarrow$  chain arrangement *preferred* 







Parallel tiling (square ordering) → geometric constraint on the tile (d = d') → loss of framework flexibility



## **Ceramics : DFT computation of birefringence from models**

• Dielectric function  $\varepsilon(\omega) = \varepsilon_1(\omega) + i \varepsilon_2(\omega)$   $\rightarrow$  refractive indexes  $n = \left(\frac{\sqrt{\varepsilon_1^2 + \varepsilon_2^2} + \varepsilon_1}{2}\right)^{1/2}$  $\rightarrow$  birefringence  $\Delta n = n_z - n_y$  • DFT

• PBE functional (GGA)

• ultrasoft pseudopotentials

Calculation of refractive indexes with ~12% accuracy

#### Random partial occupancy of Sr2 site (Sr2 empty for x = 0)



**Decrease of the calculated birefringence for x = 0.25** in agreement with the **increase of the observed transparency**